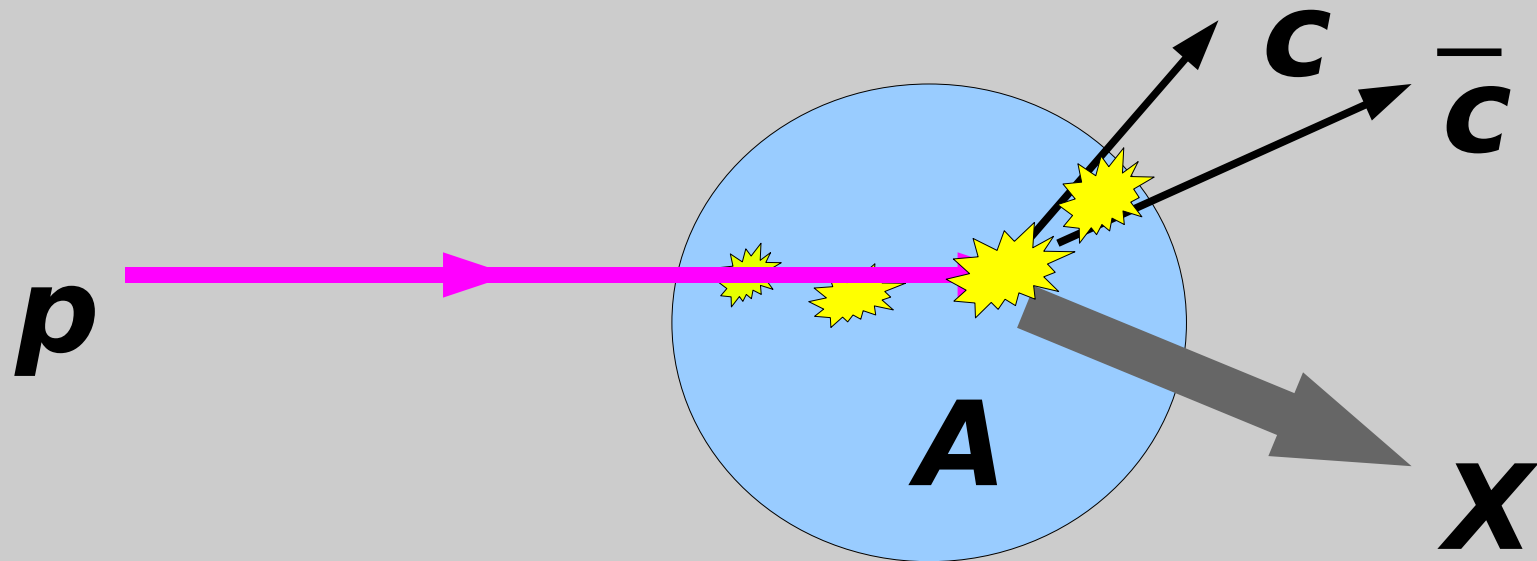


Heavy flavor production in pA collisions within the MV+BK framework

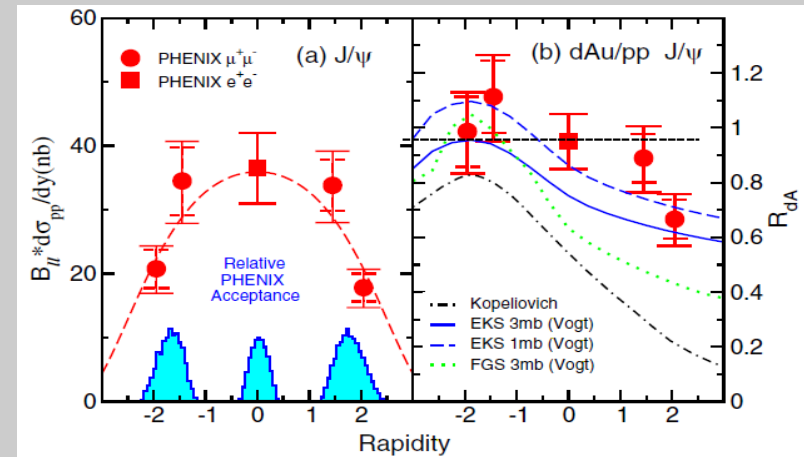
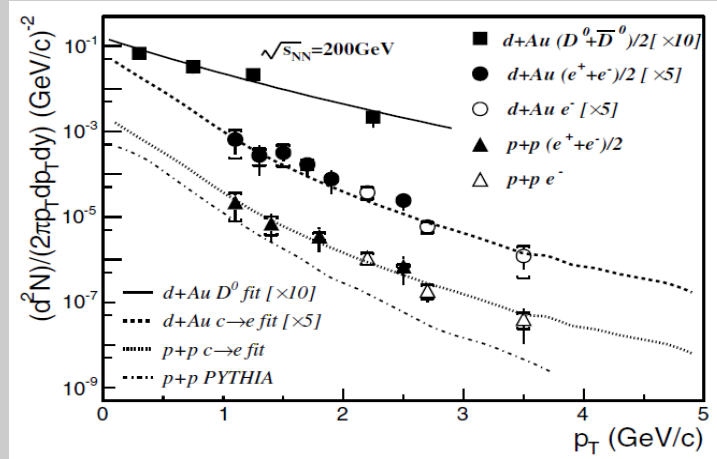


H. Fujii (U. Tokyo, Komaba)
with F. Gelis (Saclay) and R. Venugopalan (BNL)

Heavy flavors in pA

- Understanding nuclear effects
 - Interplay : multiple scatterings & saturation
 - Test of saturation picture / CGC
 - Baseline for studying plasma effect

Charm at RHIC



- How large the effect at LHC?

Outline

- Introduction
- Formulation : CGC for dilute-dense system
 - Nuclear Effect as
multiple scatterings & saturation
- Numerical results
 - Open charm and J/ψ in CEM
- Summary and Outlook

$Q\bar{Q}$ from Color Glass Condensate

F.Gelis' talk

- YM eqn with source $\rho_{A,p}$ on light-front

$$[D_\mu, F^{\mu\nu}] = J^\nu$$

$$J_a^\nu = g\delta^{\nu+}\delta(x^-)\rho_{p,a}(x_\perp) + g\delta^{\nu-}\delta(x^+)\rho_{A,a}(x_\perp)$$

- Analytic solution A_μ known to $O(\rho_p^1 \rho_A^{\text{infty}})$
- Quark production on back-ground A_μ (COV)

$$\frac{d\sigma_{q\bar{q}}}{d^2\vec{p}_\perp d^2\vec{q}_\perp dy_p dy_q} = \frac{\alpha_s^2 N}{8\pi^4 d_A} \int_{\vec{k}_{1\perp}, \vec{k}_{2\perp}} \frac{\delta(\vec{p}_\perp + \vec{q}_\perp - \vec{k}_{1\perp} - \vec{k}_{2\perp})}{k_{1\perp}^2 k_{2\perp}^2}$$

$$\times \left\{ \int_{\vec{k}_\perp, \vec{k}'_\perp} \text{tr} \left[(\not{q} + m) T_{q\bar{q}}(\vec{k}_\perp) (\not{p} - m) T_{q\bar{q}}^*(\vec{k}'_\perp) \right] \phi_A^{q\bar{q}, q\bar{q}}(\vec{k}_{2\perp} | \vec{k}_\perp, \vec{k}'_\perp) \right.$$

$$+ \int_{\vec{k}_\perp} \text{tr} \left[(\not{q} + m) T_{q\bar{q}}(\vec{k}_\perp) (\not{p} - m) L^* + \text{h.c.} \right] \phi_A^{q\bar{q}, g}(\vec{k}_{2\perp} | \vec{k}_\perp)$$

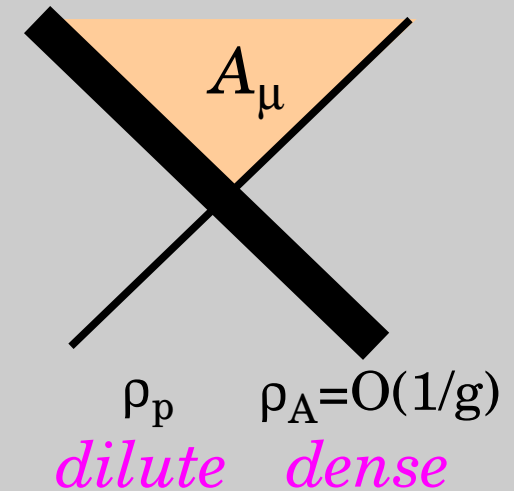
$$\left. + \text{tr} \left[(\not{q} + m) L (\not{p} - m) L^* \right] \phi_A^{g, g}(\vec{k}_{2\perp}) \right\} \varphi_p(\vec{k}_{1\perp})$$

hard nucleus proton

- 4-, 3-, 2-pt nuclear correlations ϕ 's are needed
 - Violation of k_T factorization
- LO calculation in α_s - but **all orders in ρ_A**

Blaizot-Gelis-Venugopalan, Kovchegov-Muller, Dumitru-McLerran, ...

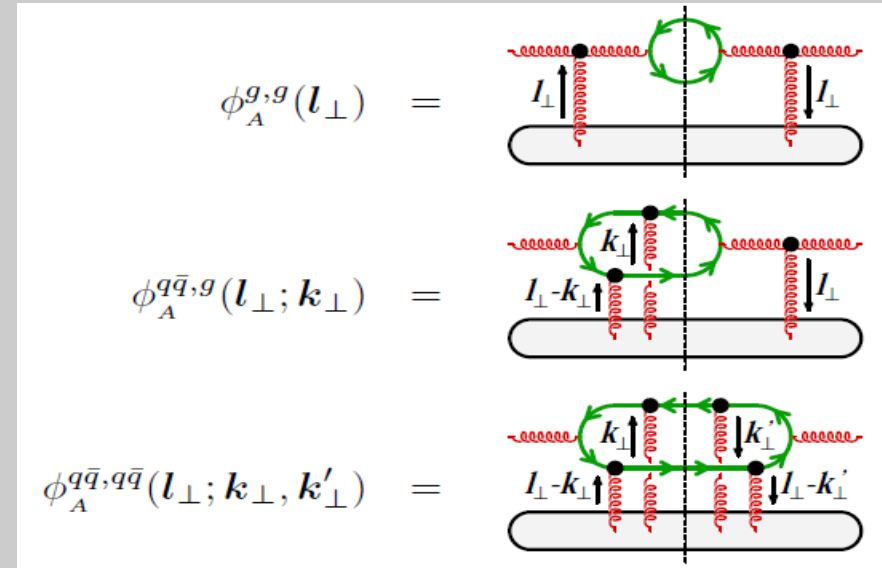
Kharzeev-Tuchin, Kovchegov-Tuchin, ... Albacete's talk.



Blaizot-Gelis-Venugopalan NPA, HF-Gelis-Venugopalan PRL, ...

Nuclear correlations ϕ

- Defined as nuclear target average of 2-, 3-, 4-eikonal phases
 - Blobs = multiple scatterings



- Satisfy a sum rule

$$\int_{k_\perp, k'_\perp} \phi_A^{q\bar{q},q\bar{q}}(l_\perp; k_\perp, k'_\perp) = \int_{k_\perp} \phi_A^{q\bar{q},g}(l_\perp; k_\perp) = \phi_A^{g,g}(l_\perp)$$

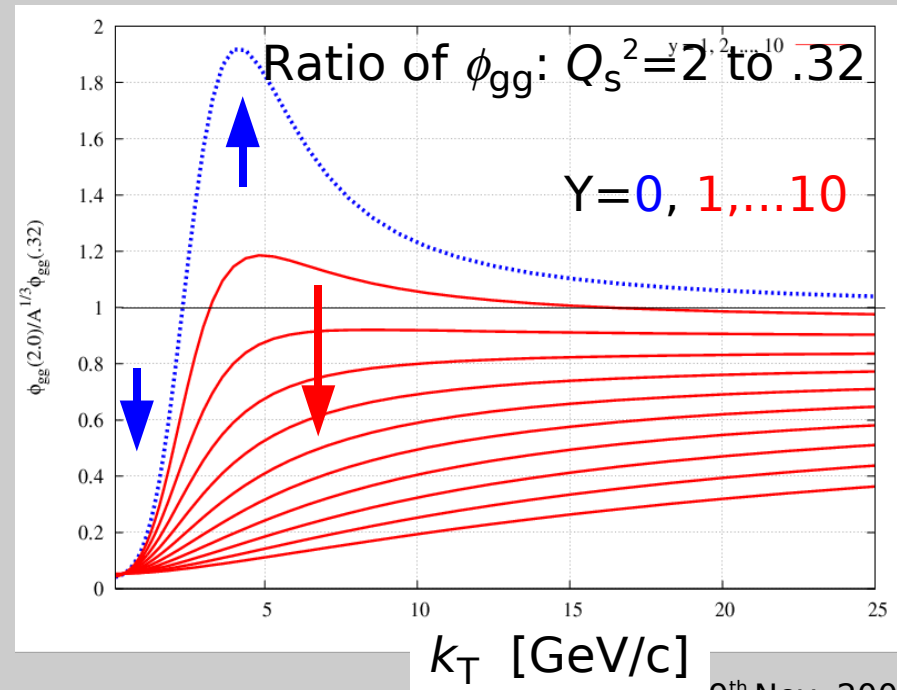
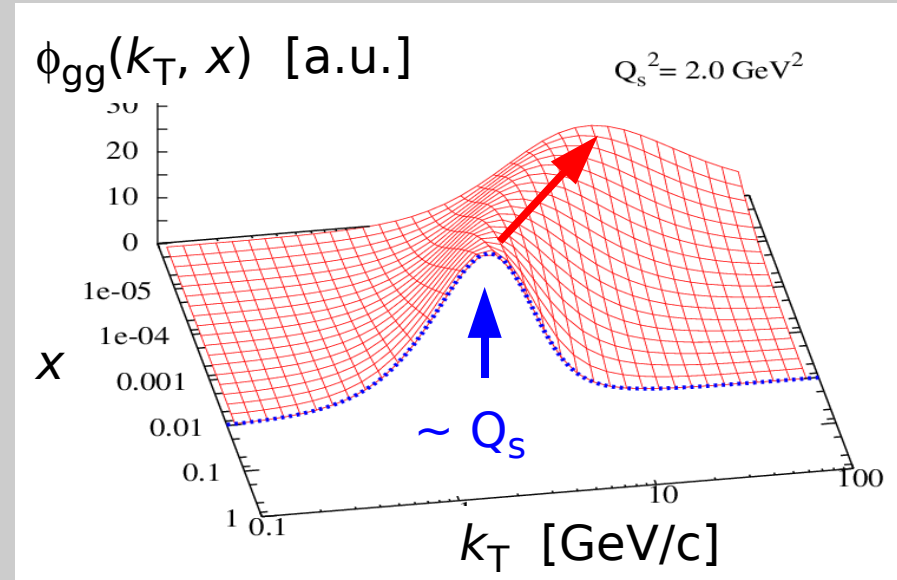
- Related to usual pdf : $xG(x, Q^2)$

$$xG_p(x, Q^2) = \frac{1}{4\pi^3} \int_0^{Q^2} dl_\perp^2 \varphi_p(l_\perp)$$

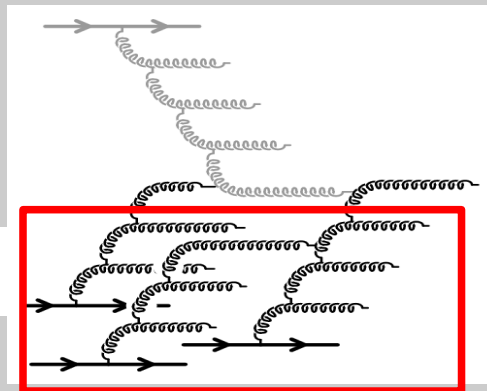
- Simplification in the large- N approx $\phi^{qq,qq} = \phi^{qq} \times \phi^{qq}$

ϕ 's from BK evolution with MV init cond

- McLerran-Venugopalan model @ $x_0=0.01$
 - Multiple scatterings of a probe
 - Exch mom $\sim \underline{Q_s^2} \sim \underline{A^{1/3}}$
- x - (energy) dependence via Balitsky-Kovchegov evolution
 - BFKL cascade and saturation
 - Q_s increases with $y=\ln(x_0/x)$
 - No control for $x > x_0$



$$\phi_{gg}(k_T, x) =$$



Asymmetric treatment

- Collinear factorization is recovered when $m_T \gg k_T \sim Q_s$, thanks to the sum rule for ϕ 's

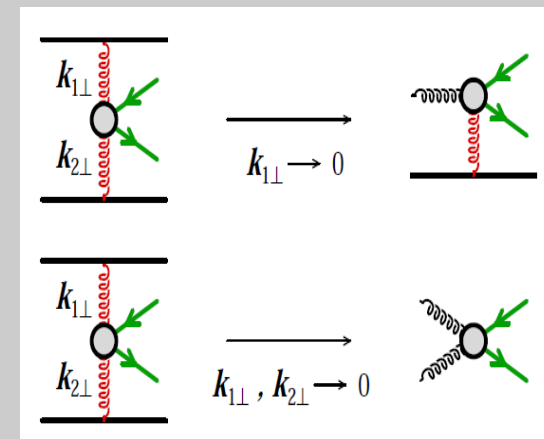
Gelis-Venugopalan,
Blaizot-Gelis-Venugopalan

- We use **collinear** approximation on **dilute proton** side :

$$xG_p(x, Q^2) = \frac{1}{4\pi^3} \int_0^{Q^2} dl_{\perp}^2 \varphi_p(l_{\perp})$$

- **Cross section for dilute-dense system :**

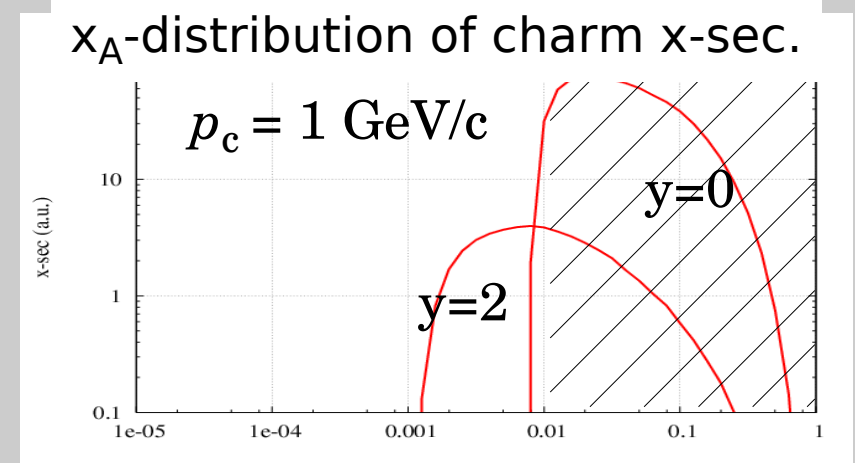
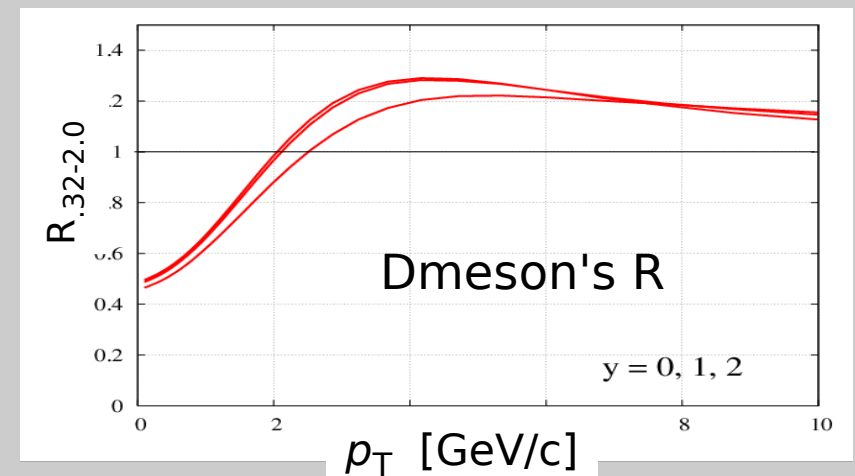
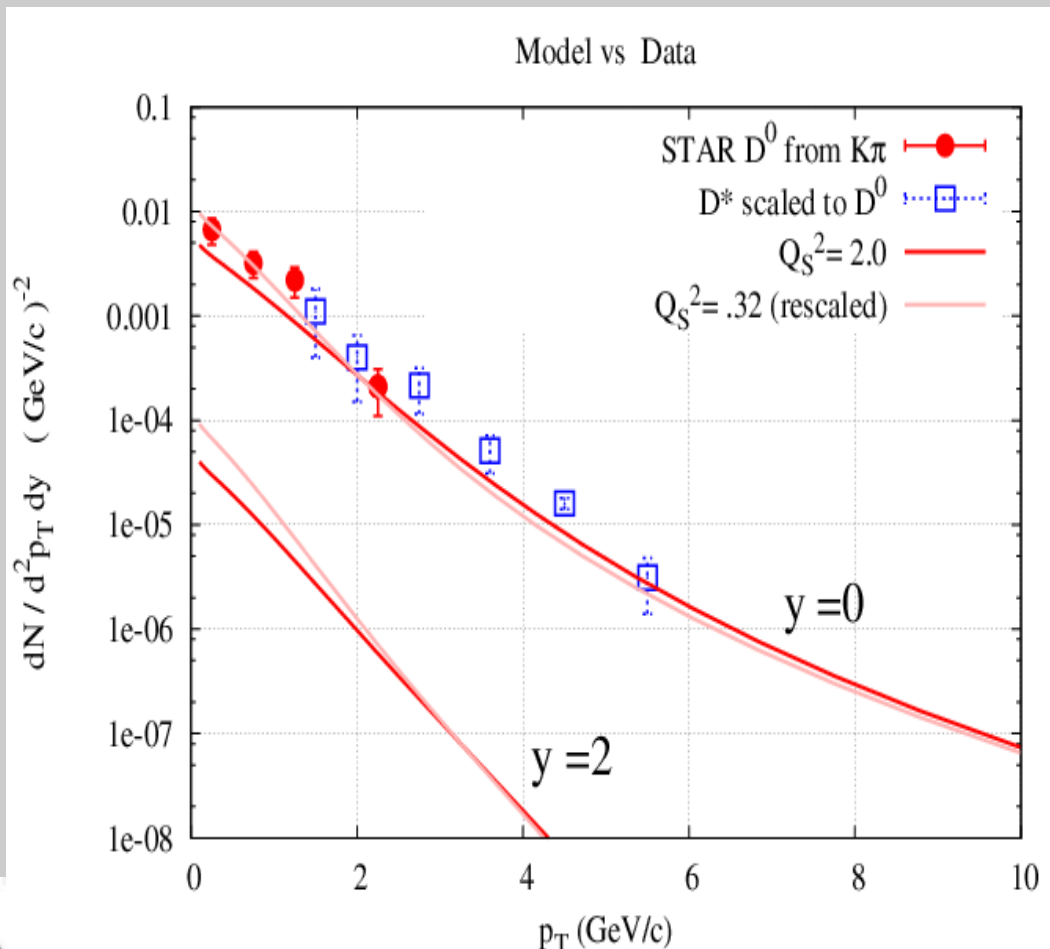
$$dN = \int (\text{hard}) \otimes xG(x, Q^2) \otimes \phi^{qq, g}(k_2, k)$$



Numerical results

Open charm production

- **Asymmetric** treatment: proton= $xG(x, Q^2)$, nucleus=**CGC(2.0)**
 - Looks consistent w/ data @ $y=0$
 - For “saturation” effect, compare w/ $Q_s^2 = 0.32$ simulating “pp”

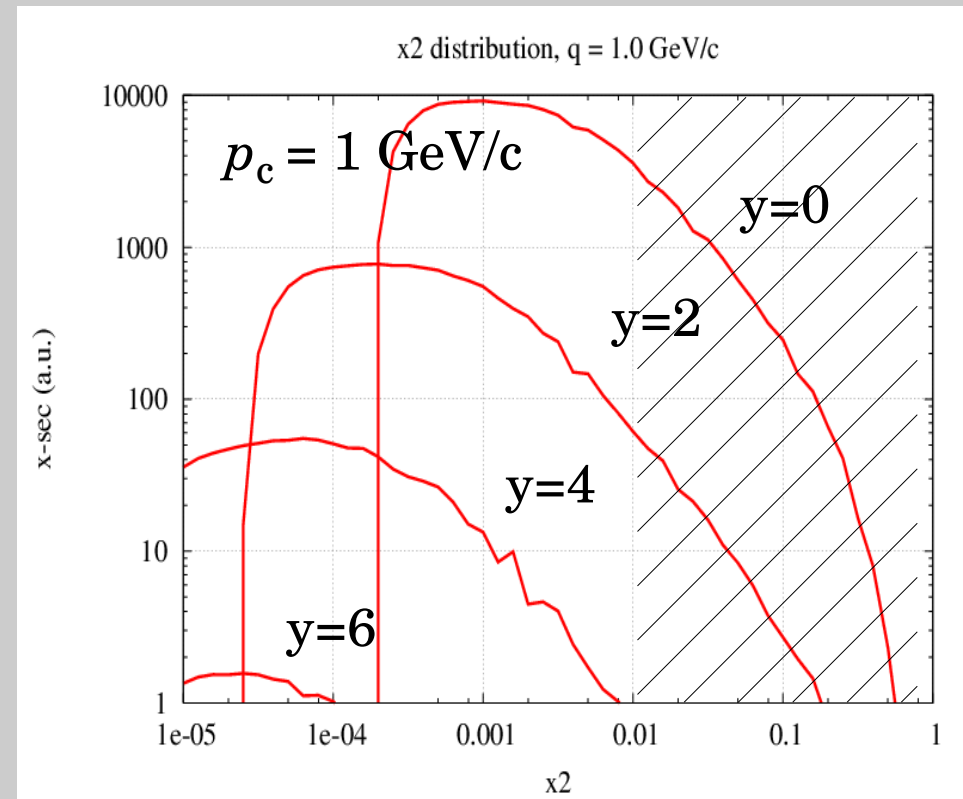
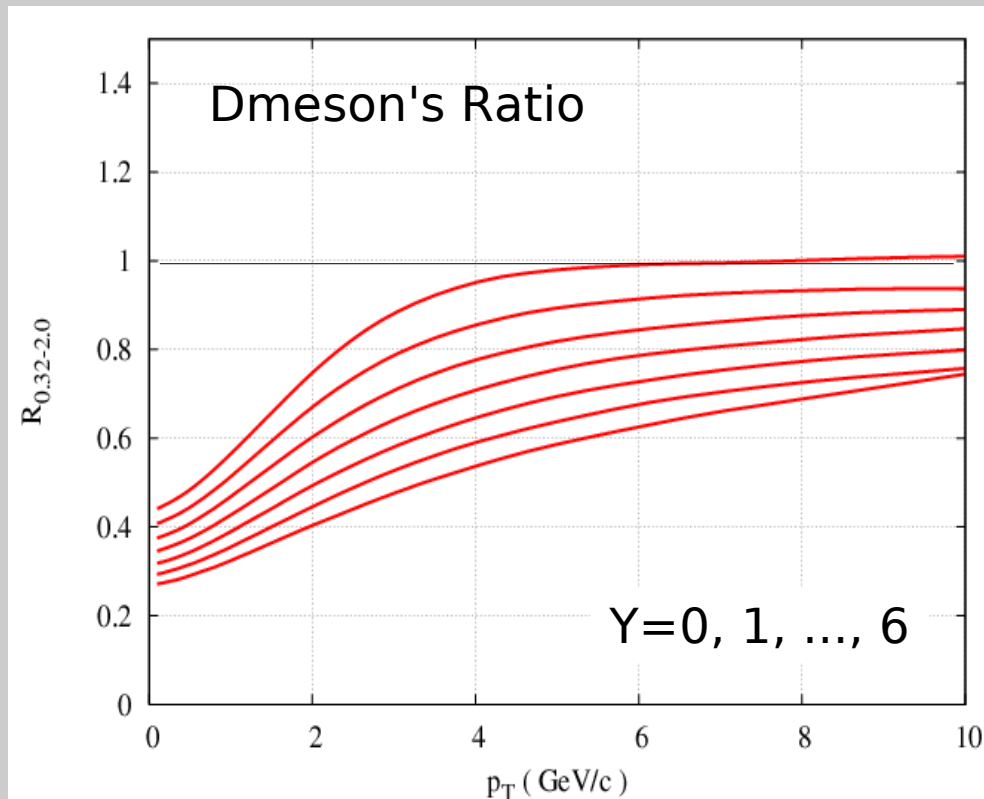


Similar work by Kharzeev-Tuchin

x_A

Open charm

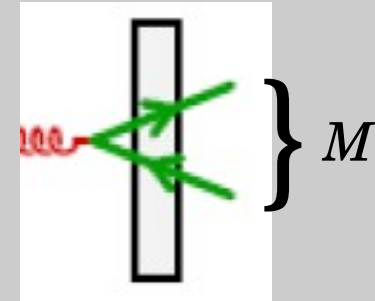
- pA @ LHC (8.5 TeV)
 - Large window for testing “small-x” with charm
 - For bottom, $x \sim 0.001@y=0$



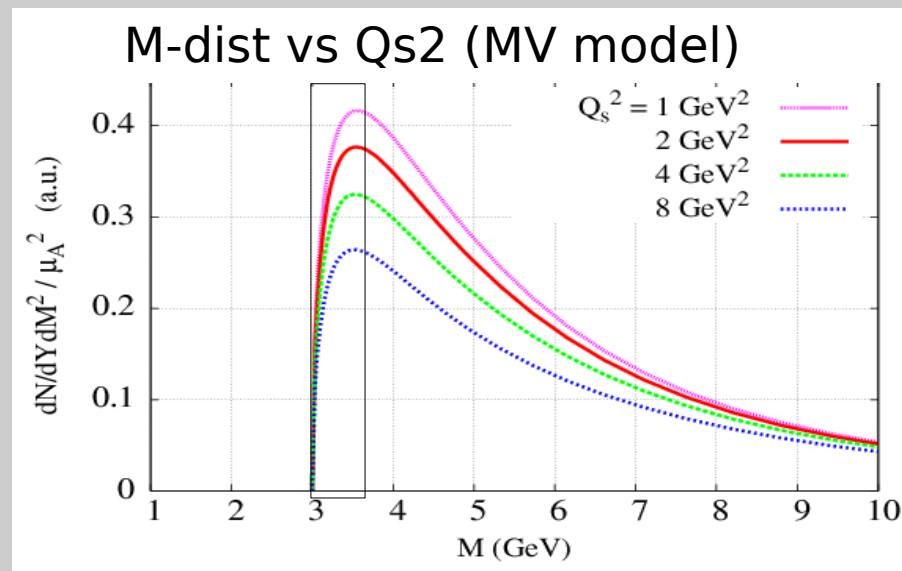
Quarkonium via Color Evaporation

- Assumption: separation of pair production and J/psi formation

$$\frac{dN_{J/\psi}}{dY d^2 P_{\perp}} \stackrel{CEM}{=} F_{J/\psi} \int_{4m^2}^{4m_D^2} dM^2 \frac{dN}{dY d^2 P_{\perp} dM^2}$$

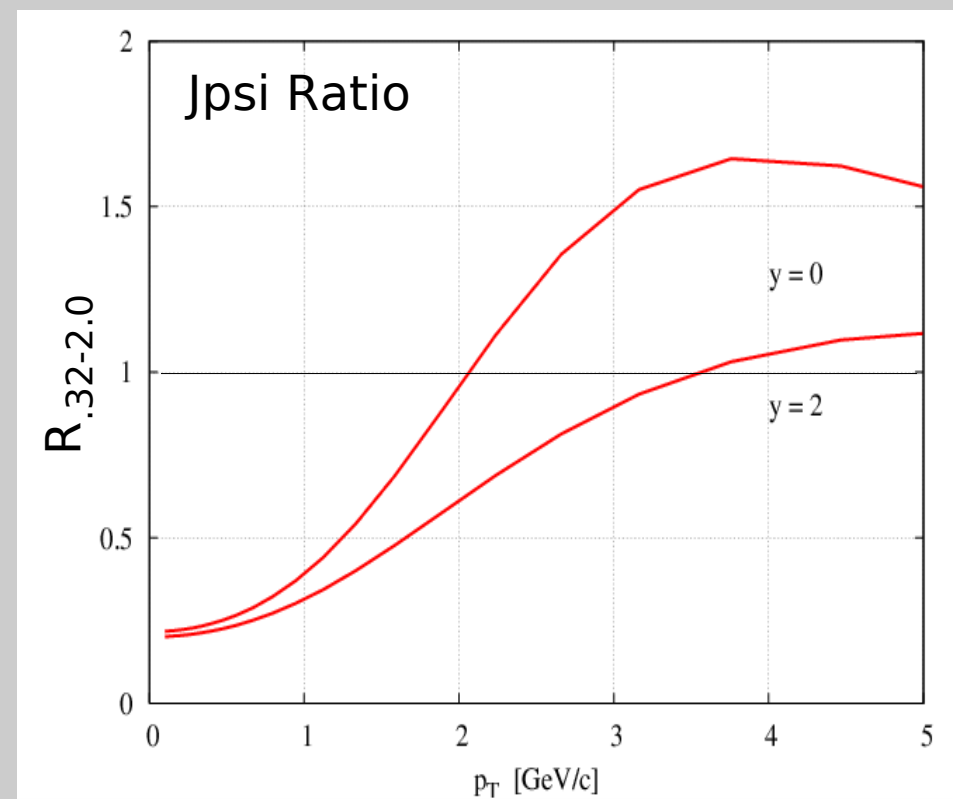
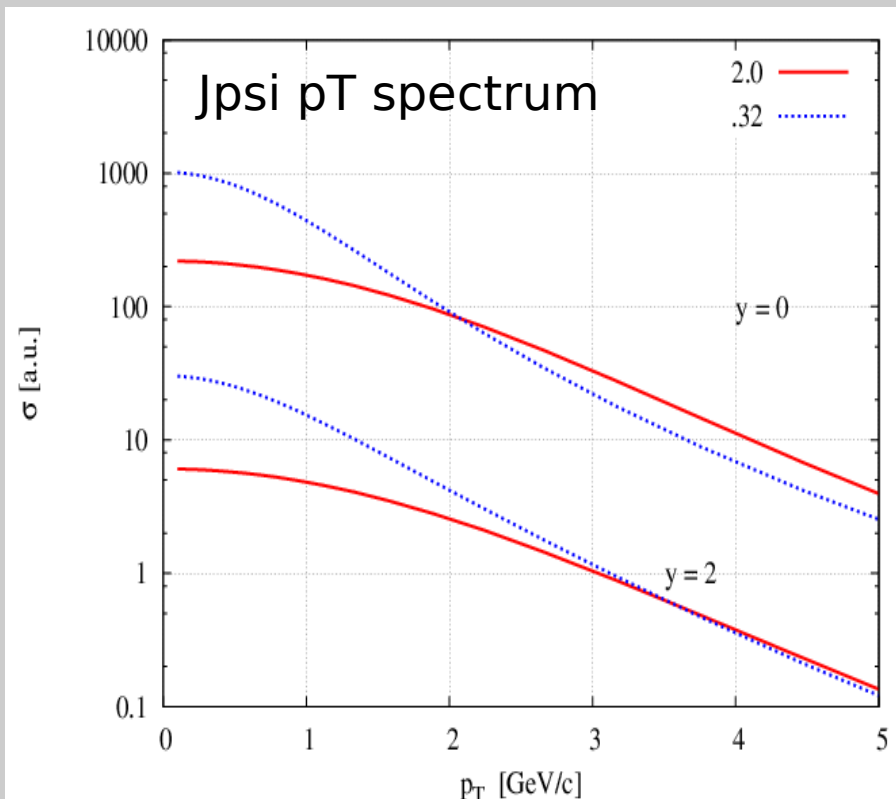


- Two effects of dense gluons on Jpsi:
 - Depletion of initial gluon number
 - Suppression of small M^2 pair due to multiple scatterings



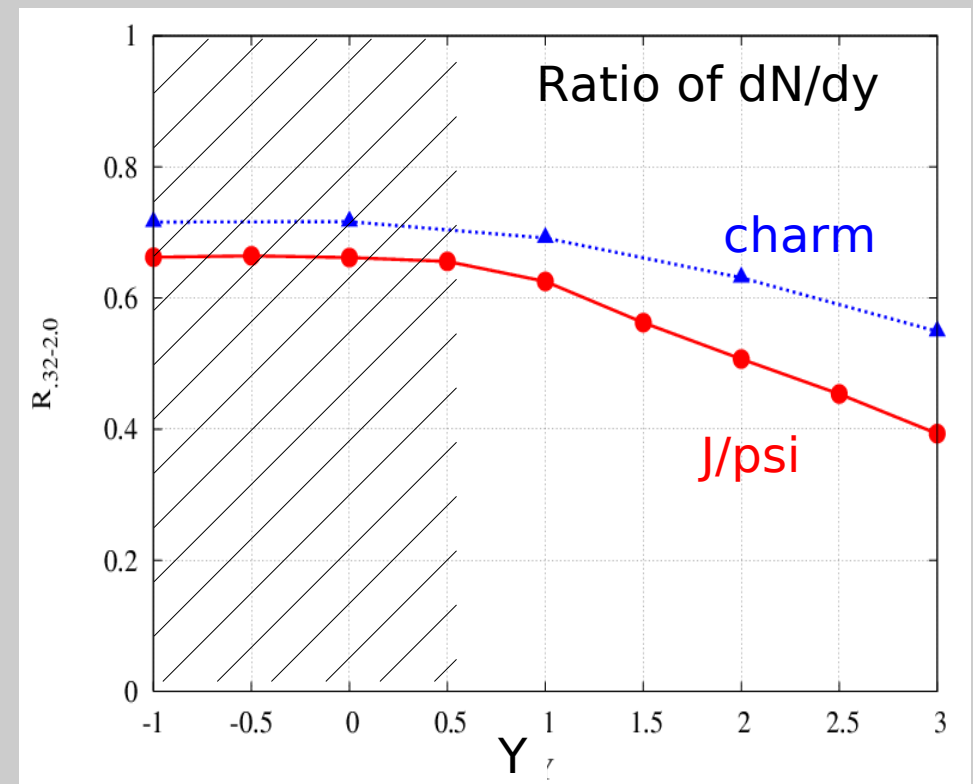
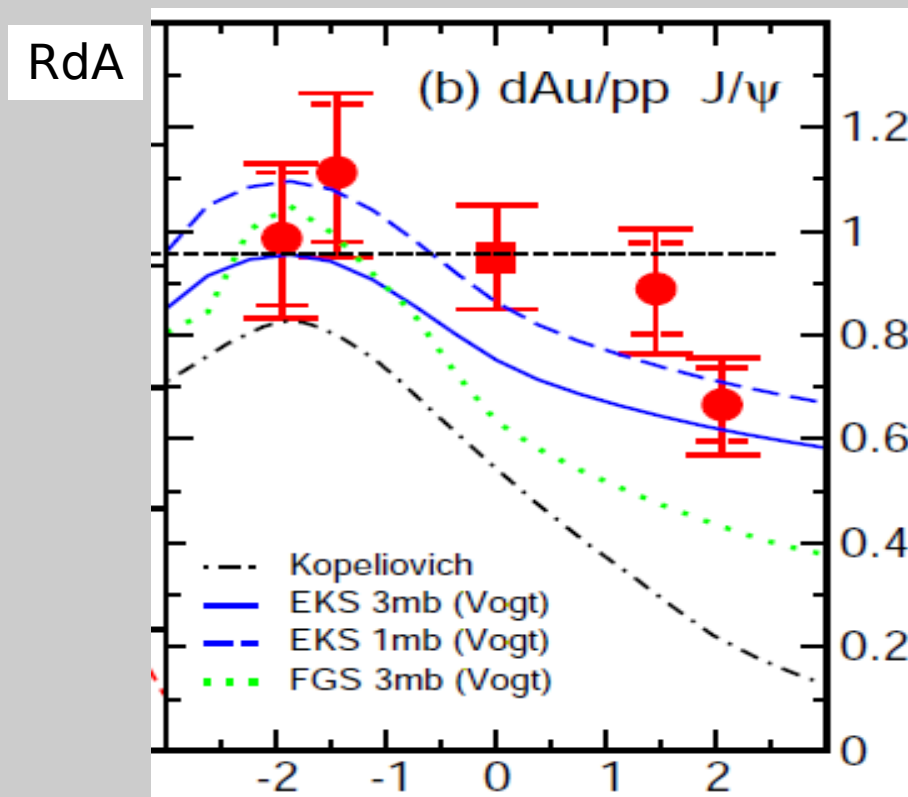
Quarkonium via Color Evaporation

- J/ψ p_T -spectrum @ RHIC
 - Comparison of “pA” and “pp” : $Q_s^2=2.0$ & $.32$
 - Suppression at small p_T , enhancement at larger p_T



Quarkonium via Color Evaporation

- J/ψ , charm suppression at forward Y
 - J/ψ more suppressed : more sensitive to multiple scatterings

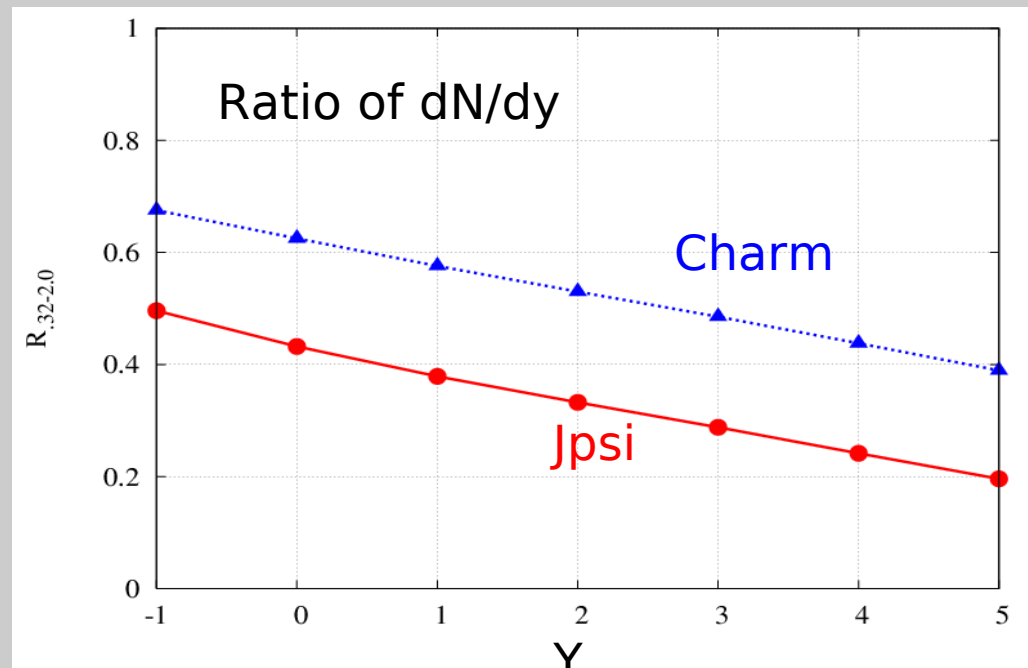
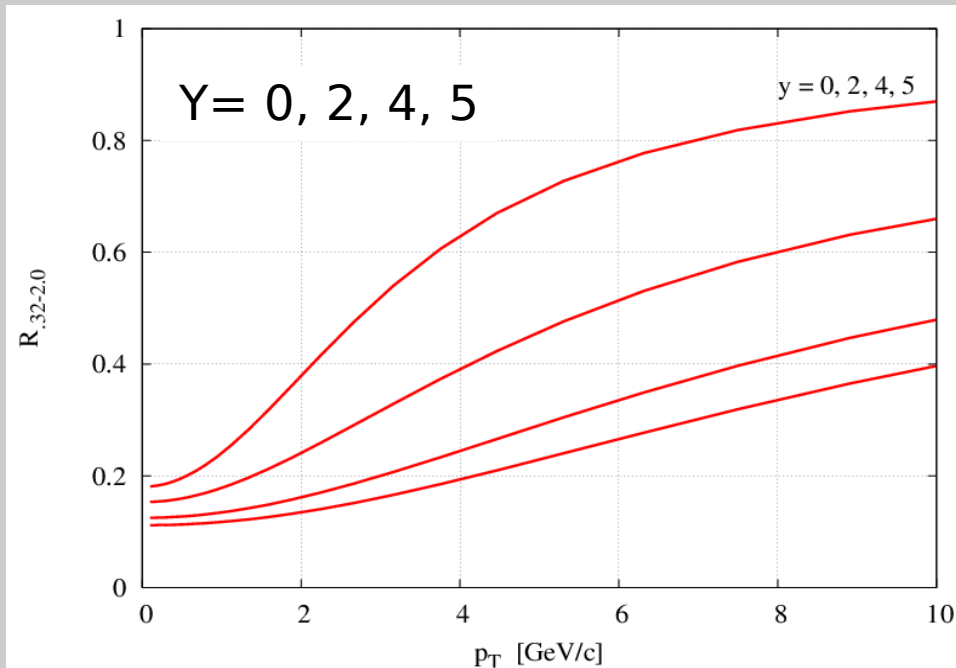


Quarkonium via Color Evaporation

- J/ψ @ LHC (8.5TeV)
 - Suppression for all p and for $y \geq 0$

Very preliminary

N.B. Bottom contrib not included



Summary and outlook

- Heavy flavor in pA : cleaner place to test “saturation”
- A controlled CGC approach for dilute-dense system is given
 - Charm data at RHIC is encouraging
 - More info on nuclear WF from p_T - , y -deps of heavy flavors
 - Preliminary results are shown, and systematic detailed study is now underway
- Outlook
 - More post-dictions and predictions for exp't in our framework
 - Improved treatment for onium production mechanism
 - How about AA? ... and more !